



UNIVERSITAS GADJAH MADA

Faculty of Mathematics and Natural Sciences

Mathematics Department

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Undergraduate Programme in Mathematics

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MODULE HANDBOOK

Module name	Introduction to Partial Differential Equations
Module level, if applicable	Bachelor
Code, if applicable	MMM-2310
Subtitle, if applicable	
Courses, if applicable	Introduction to Partial Differential Equations
Semester(s) in which the module is taught	4 th (fourth)
Person responsible for the module	Chair of Applied Mathematics Research Group
Lectures	Dr. Lina Aryati, M.S. and Dr. Sumardi, M.Si.
Language	Bahasa Indonesia
Relation to curriculum	Bachelor Degree, Compulsory, 4 th semester.
Type of teaching, contact hours	3 hours lectures, 3 hours structured activities.
Workload	150 minutes lectures, 180 minutes structured activities, 180 hours individual study, 16 weeks per semester (including mid-term and final examinations), 136 hours per semester.
Credit points	3
Requirements according to the examination regulations	Multivariable Calculus I (MMM-2109), Ordinary differential equations (MMM-2301)
Recommended prerequisites	Before taking this course, students must have a good understanding about concepts of multivariable calculus, ordinary differential equation.
Module objectives/intended learning outcomes	After completing this course the students have ability to CO 1. solve first order linear and quasi linear initial value problems by method of characteristics. CO 2. solve initial boundary value problems by the method of separation variables. CO 3. recognize how to prove the existence and uniqueness solution of an initial boundary value problem. CO 4. solve initial value problems on infinite interval by the Fourier Integral or Fourier Transform. CO 5. solve initial value problems on semi infinite interval by the Fourier Transform. CO 6. determine d'Alembert solution. CO 7. solve boundary value problem on disc by Fourier-Bessel series. CO 8. solve initial boundary value problems by finite difference method.
Content	a. Boundary and initial conditions b. Method of Characteristics: first order linear and quasi linear initial value problems. c. Fourier Series d. Sturm Liouville eigenvalue problems e. Method of Separation variables: Initial boundary value problems parabolic, hyperbolic, and elliptic types f. Example on existence and uniqueness solution of initial boundary value problem g. The Fourier Integral and solution of Initial boundary value problems on infinite interval h. The Fourier Transform and solution of Initial boundary value problems on

	semi infinite interval i. D'Alembert Solution j. Fourier-Bessel Series and its Applications k. Example on numerical solution of Initial boundary value problems by finite difference method												
Study and examination requirements and forms of examination	The final mark will be weighted as follows: <table border="1"> <thead> <tr> <th>No</th> <th>Assessment methods (components, activities)</th> <th>Weight (percentage)</th> </tr> </thead> <tbody> <tr> <td>1</td> <td>Final Examination</td> <td>40%</td> </tr> <tr> <td>2</td> <td>Mid-Term Examination</td> <td>30%</td> </tr> <tr> <td>3</td> <td>Class Activities: Quiz, Homework, etc</td> <td>30%</td> </tr> </tbody> </table> The initial cut-off points for grades A, B, C, and D should not be less than 80%, 70%, 50%, and 40%, respectively.	No	Assessment methods (components, activities)	Weight (percentage)	1	Final Examination	40%	2	Mid-Term Examination	30%	3	Class Activities: Quiz, Homework, etc	30%
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1	Final Examination	40%											
2	Mid-Term Examination	30%											
3	Class Activities: Quiz, Homework, etc	30%											
Media employed	White/Black Board, LCD Projector, Laptop/Computer												
Reading List	[1] G. Hadley, 1973, <i>Linear Programming</i> , Addison Wesley. [2] Hamdy A. Taha, 1998, <i>Operations Research an Introduction</i> , Prentice-Hall, Pte Ltd, Singapore. [3] Wayne L. Winston, 2004, <i>Operation Research Application and Algorithms</i> , Ruxbury Press. [4] Indarsih, 2004, Modul Praktikum Program Linear, Departemen Matematika, FMIPA, UGM.												

PLO and CO Mapping

	PLO 1	PLO 2	PLO 3	PLO 4	PLO 5	PLO 6	PLO 7	PLO 8	PLO 9
CO 1		V			V	V	V		V
CO 2		V			V		V		
CO 3			V			V	V		V
CO 4		V			V		V		
CO 5		V			V		V		
CO 6		V					V		V
CO 7		V			V		V		
CO 8		V				V	V		