

UNIVERSITAS GADJAH MADA

Faculty of Mathematics and Natural Sciences Mathematics Department Sekip Utara Bulaksumur Yogyakarta 55281 Telp: +62 274 552243 Fax: +62 274 555131 Email: <u>math@ugm.ac.id</u> Website: <u>http://math.fmipa.ugm.ac.id</u>

Undergraduate Programme in Mathematics Telp :+62 274 552243

Telp Email

 Email
 : maths1@ugm.ac.id; kaprodi-s1-matematika.mipa@ugm.ac.id

 Sekprodi-s1-matematika.mipa@ugm.ac.id

 Website
 : http://s1math.fmipa.ugm.ac.id/

MODULE HANDBOOK

Module name	Introduction of Module Theory						
Module level, if applicable	Bachelor						
Code, if applicable	MMM-4207						
Subtitle, if applicable							
Courses, if applicable	Introduction of Module Theory						
Semester(s) in which the	7 th (seventh)						
module is taught							
Person responsible for the	Chair of Algebra Research Group						
module							
Lecturer(s)	Dr.rer.nat. Indah Emilia Wijayanti						
Language	Bahasa Indonesia						
Relation to curriculum	Elective Course						
Type of teaching, contact	150 minutes lectures, 180 minutes supervised activities, and 180 minutes individual						
hours	A						
Workload	learning per week. Total workload is 136 hours per semester, which consists of 150 minutes lectures per						
Workload	week for 14 weeks, 180 minutes structured activities per week, 180 minutes individual						
	study per week, in total is 16 weeks per semester, including mid exam and final exam.						
Credit points	3						
Requirements according to	Students have taken Introduction of Module Theory course (MMM-4207) and have						
the examination regulations	an examination card where the course is stated on.						
Recommended prerequisites	Students have taken Introduction to Linear Algebra course (MMM-2202) and have						
Recommended prerequisites	participated in the final examination of the course.						
Module objectives/intended	Upon successful completion, students able to:						
learning outcomes	CO 1 : recognize the fundamental properties of modules and submodules						
learning outcomes	CO 2: recognize the concept of module homomorphism						
	CO 3 : develop the concepts of generator and linear independence in modules						
	CO 4 : recognize the concept of exact sequence and its use for further analysis						
Content	1. Modules and Submodules,						
Gontent	2. Generators,						
	3. Direct sums,						
	4. Factor modules,						
	 Factor modules, Module homomorphism 						
	 Module homomorphism Module homomorphism theorem, 						
	 7. Finitely generated modules, 						
	8. Modules over Principal Ideal Domain,						
	9. Annihilators, torsion modules and torsion free modules.						
	10. Free modules and projective modules,						
	11. Exact sequences.						
Study and examination	The final mark will be computed from a proportional weight of assignments, mid						
requirements and forms of	examination and final examination. The final mark will be weighted as follows:						
examination	characteristic international and international the internation of weighted as follows.						
	No Assessment methods (components, activities) Weight (percentage)						
	1 Final Examination 40%						
	2 Mid-Term Examination 30%						
	2 Initial refinition 30% 3 Class Activities: Quiz, Homework, etc. 30%						
L							

	The initial cut-off points for grades A, B, C, and D should not be less than 80%, 70%,				
	50%, and 40%, respectively.				
Media employed	Boards, projectors.				
Reading List	 Manfred Droste, Laszio Fuchs, Brendan Goldsmith, Lutz Strungmann, 2017, Groups, Modules, and Model Theory- Survey and Recent Developments, Springer International Publishing AG. Adnan Tercan, Canan C. Yuecel, 2016, Module Theory, Extending Modules and Generalizations, Birkhaueser Basel. Alberto Facchini, 2012, Module Theory, Springer Basel. Paul E. Bland, 2011, Rings and Their Modules, Walter de Gruyter GmbH & Co, KG, Berlin/New York. Albu, T., Birkenmeier, G.F., Erdogan, A., Tercan, A., 2010, Ring and Module Theory, Springer Basel, Basel William Adkins and Steven H. Weintraub, 1992, Algebra An Approach via Module Theory, Springer-Verlag, Saunders MacLane, Garrett Birkhoff, 1979, AlgebraSecond Edition, Macmillan Publishing Co., New York Thomas W. Hungerford, 1974, Algebra, Springer-Verlag, New York. Serge Lang, 1965, Algebra, Addison-Wesley Publishing Company, Massachusetts. 				

PLO and CO Mapping

	PLO 1	PLO 2	PLO 3	PLO 4	PLO 5	PLO 6	PLO 7	PLO 8	PLO 9
CO 1			v			v			v
CO 2			v			V			v
CO 3			v			V			v
CO 4			V			v			v