

UNIVERSITAS GADJAH MADA

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Undergraduate Programme in Mathematics

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MODULE HANDBOOK

Module name	Analytic Geometry				
Module level, if applicable	Bachelor				
Code, if applicable	MMM-1106				
Subtitle, if applicable	-				
Courses, if applicable	Analytical Geometry				
Semester(s) in which the	2 nd (second)				
module is taught					
Person responsible for the	Chair of the Lab. of Analysis				
module					
Lecturer	Atok Zulijanto, S.Si., M.Si., Ph.D.				
	Dr. Budi Surodjo, M.Si.				
Language	Bahasa Indonesia				
Relation to curriculum	Compulsory course in the first year (2nd semester) Bachelor Degree				
Type of teaching, contact	150 minutes lectures and 180 minutes structured activities per week.				
hours					
Workload	Total workload is 136 hours per semester, which consists of 150 minutes lectures per				
	week for 14 weeks, 180 minutes structured activities per week, 180 minutes individual				
	study per week, in total is 16 weeks per semester, including mid exam and final exam.				
Credit points	3				
Requirements according to	Students have taken Analytical Geometry course (MMM-1106) and have an				
the examination regulations	examination card where the course is stated on.				
Recommended prerequisites	Students have taken Calculus I course (MMM-1101) and have participated in the final examination of the course.				
Module objectives/intended	The course is intended to provide a good basic knowledge and training on analytic				
learning outcomes	geometry to students via vectors approach. Moreover, the course aims to provide a				
	tool for students to study more advanced courses such as multivariable calculus.				
	After completing this course, the students should have:				
	1. CO 1. ability to understand the concepts of geometry in two and three				
	dimensions using a coordinate system and algebraic representation such as				
	straight lines, conic sections, planes, parametric equations, and surfaces.				
	2. CO 2. ability to solve problems on geometry in two and three dimension				
	through its equations.				
	3. CO 3. ability to use translation and rotation to simplify and sketch the graph of				
	the second-degree equations in two dimensions.				
	4. CO 4. ability to sketch second-degree equations in three dimensions, such as				
	cylinders, ellipsoids and hyperboloids.				
Content	Vectors in \mathbb{R}^2 and \mathbb{R}^3 . Equations of straight lines in two dimensions: relation				
	between two lines in \mathbb{R}^2 , angle between two lines, distance between a point and a line.				
	Second-degree equations in \mathbb{R}^2 circles, parabolas, ellipses, hyperbolas. Polar				
	coordinate. Parametric equations: writing Cartesian equations in parametric form,				
	parametric equations of circles, cycloids, hypocycloids, epicycloids and asteroids.				
	Transformation coordinates: translation and rotation of axes. Straight lines and planes				
	in three dimensions. Second-degree equations in three dimensions: cylinders, spheres,				
	ellipsoids, paraboloids, hyperboloids, hyperbolic paraboloids, cones. Cylindrical and				
	spherical coordinates.				

Study and examination	The final mark will be weighted as follows:				
requirements and frms of	No Assessment methods (components, activities) We	ight (percentage)			
examination	1 Final Examination	45%			
	2 Mid-Term Examination	30%			
	3 Class Activities: Quiz, Homework, etc.	25%			
Media employed	The initial cut-off points for grades A, B, C, and D should not be less than 80%, 70%, 50%, and 40%, respectively. Board, LCD Projector, Laptop/Computer				
Reading List	1. James Stewart, 2015, Calculus: Early Transcendentals Single Variable 8th Ed., Willey, USA				
	2. Charles. C. Carico and Irving Drooyan, 1980, Analytic Geometry, John Wiley & Sons.				
	3. Charles Wexler, 1962, <i>Analytic Geometry : A Vector Approach</i> , Addison Wesley Publishing Company, Inc.				

PLO and CO Mapping

	PLO 1	PLO 2	PLO 3	PLO 4	PLO 5	PLO 6	PLO 7	PLO 8	PLO 9
CO 1		v					v		
CO 2		v							
CO 3		v					V		
CO 4		v							